

## Lab #1 Introduction

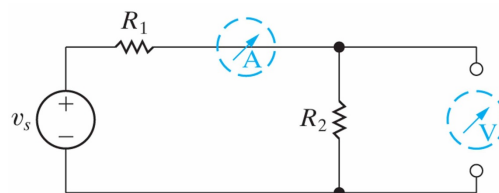
Engr325

Instrumentation

Dr Curtis Nelson

## Instrument Loading Review

- An ideal meter has no effect on the circuit variable being measured.
- That means when an ideal *ammeter* is placed in series to measure the current through an element, it should have an equivalent resistance of  $0 \Omega$ .
- That means when an ideal *voltmeter* is placed in parallel to measure the voltage across an element, it should have an equivalent resistance of  $\infty \Omega$ .
- Choose your instrumentation carefully knowing something about what it is you are measuring – output impedance from sensors may not be known.



## RMS Measurements

- RMS is described as a measure of equivalent heating value, with a relationship to the amount of power dissipated by a resistive load driven by the equivalent DC value. For example, a 1V<sub>pk</sub> sine wave will deliver the same power to a resistive load as a 0.707V<sub>dc</sub> signal. A reliable RMS reading on a signal will give you a better idea of the effect the signal will have in your circuit.

$$X_{\text{rms}} = \sqrt{\frac{1}{T} \int_0^T x^2 dt}$$

## AC Measurements

- V<sub>AVG</sub> vs. V<sub>RMS</sub>
- Why V<sub>AVG</sub>?
  - Because V<sub>RMS</sub> is hard to do.

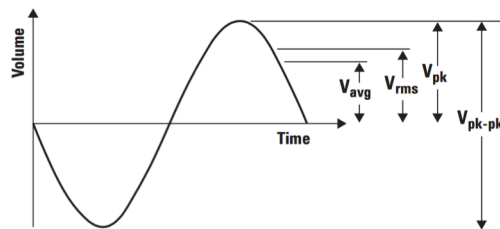


Figure 1. Common voltage parameters

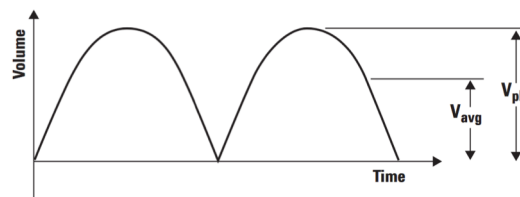


Figure 2.  $V_{\text{avg}}$  is calculated based on the absolute value of the waveform.

## AC Measurements

- For sine waves, the negative half of the waveform cancels out the positive half and averages to zero over one cycle. This type of average would be useless so most meters compute  $V_{avg}$  based on the absolute value of the waveform. For a sine wave, this works out to  $V_{pk} \times 0.637$ .
- This scaling factor applies only to pure sine waves. For every other type of signal, **using this approach produces misleading answers**. If you are using a meter that is not really designed for the task, you easily can end up with significant error depending on the meter and the signal.

## RMS Measurements

- You can derive  $V_{RMS}$  by squaring every point in the waveform, finding the average (mean) value of the squares, then finding the square root of the average. With pure sine waves, you can take a couple of shortcuts: just multiply  $V_{pk} \times 0.707$  or  $V_{avg} \times 1.11$ . Inexpensive peak-responding or average-responding meters rely on these scaling factors.

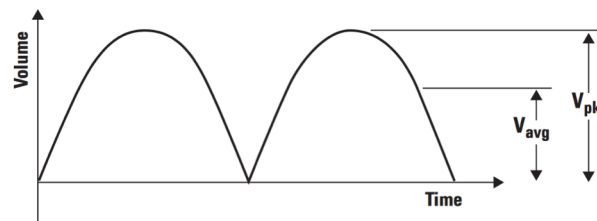
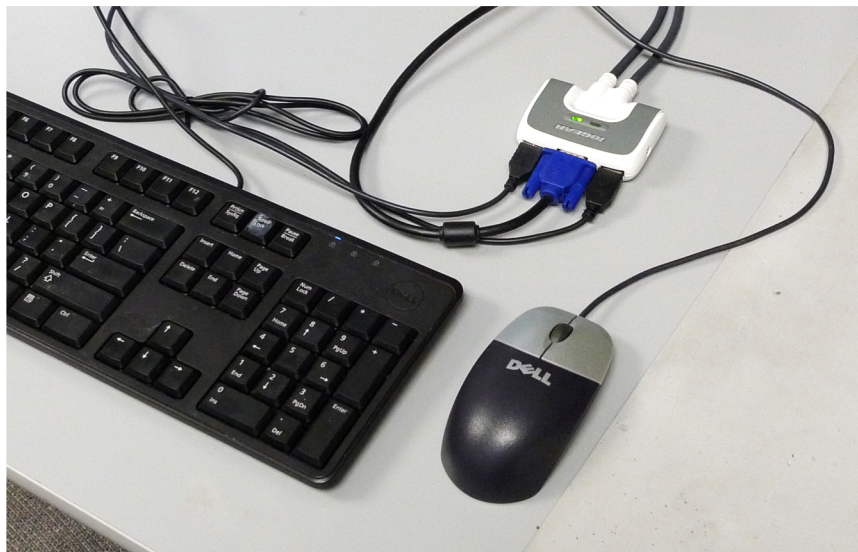


Figure 2.  $V_{avg}$  is calculated based on the absolute value of the waveform.

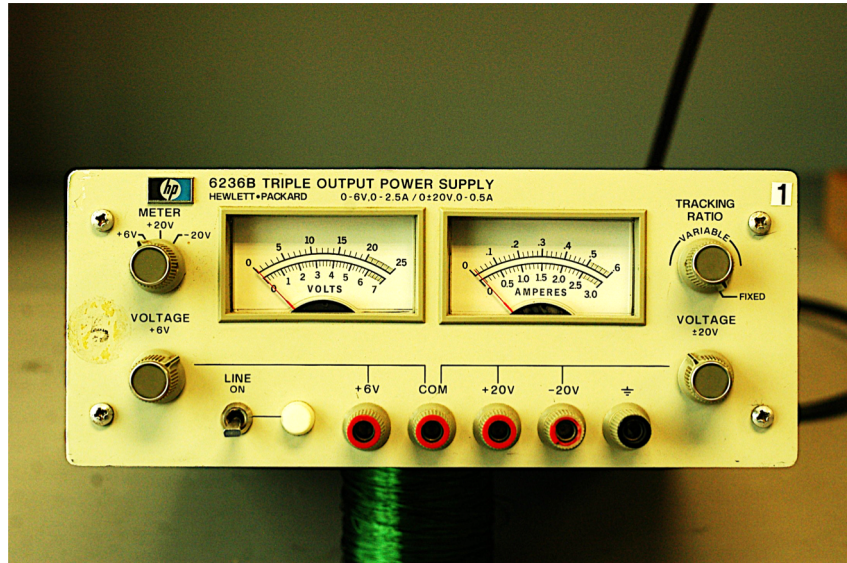
### Station Tool Set



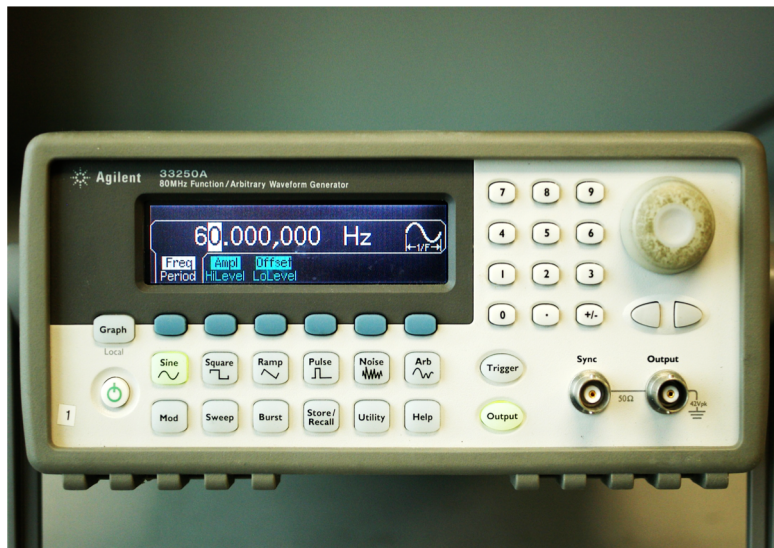
### Computer and Switch



## Triple Output DC Power Supply



## Waveform Generator - Frequency



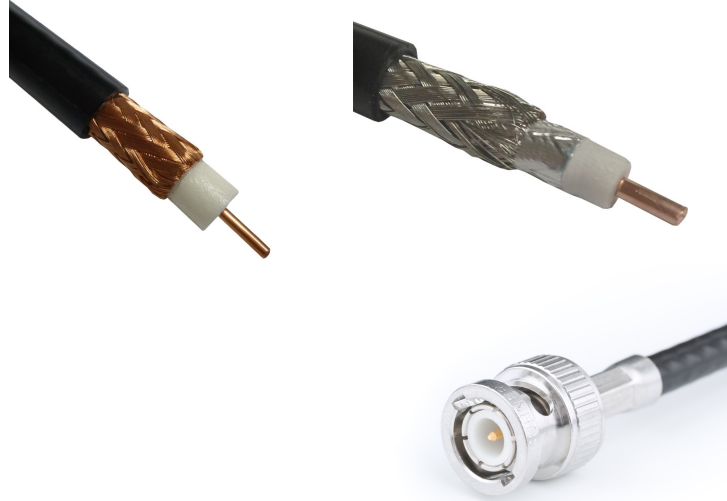
## Waveform Generator - Amplitude



## Waveform Generator - Offset



### BNC Cables



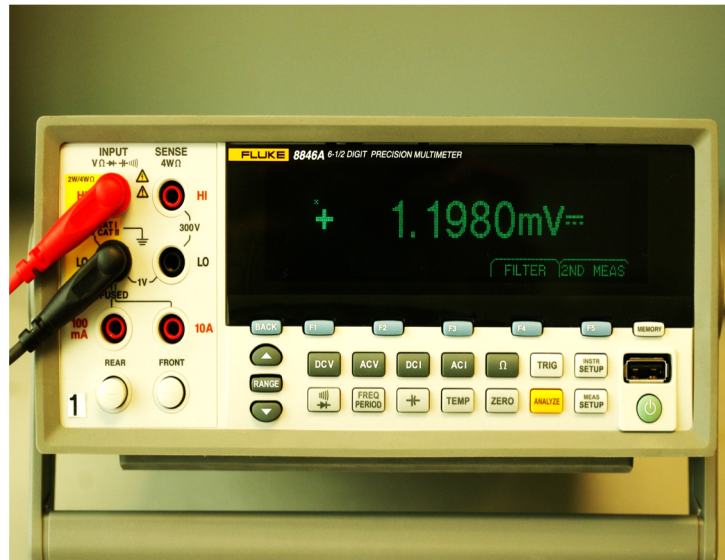
### Banana Jack Connections



## Banana Jack Connections

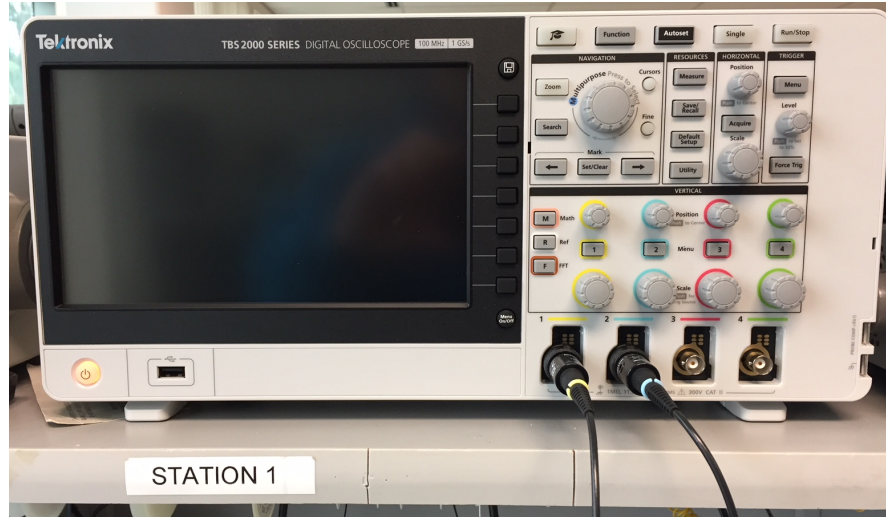


## Fluke Benchtop Multi-meter



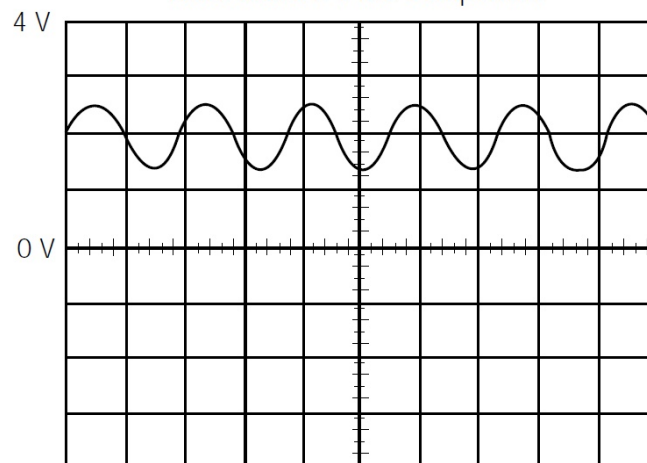


## Texttronix TBS2000 Oscilloscope



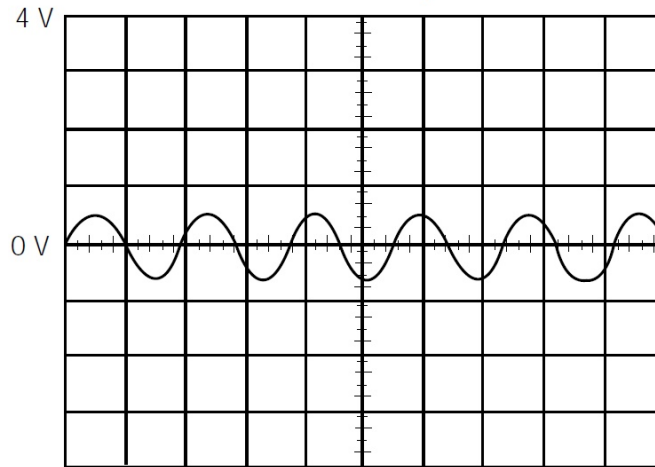
## DC Coupling

DC Coupling of a  $V_{p-p}$  Sine Wave with a 2 V DC Component

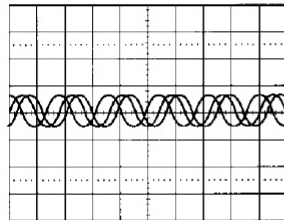


### AC Coupling

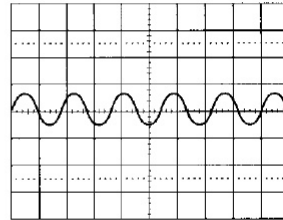
AC Coupling of  
the Same Signal



### Scope Triggering

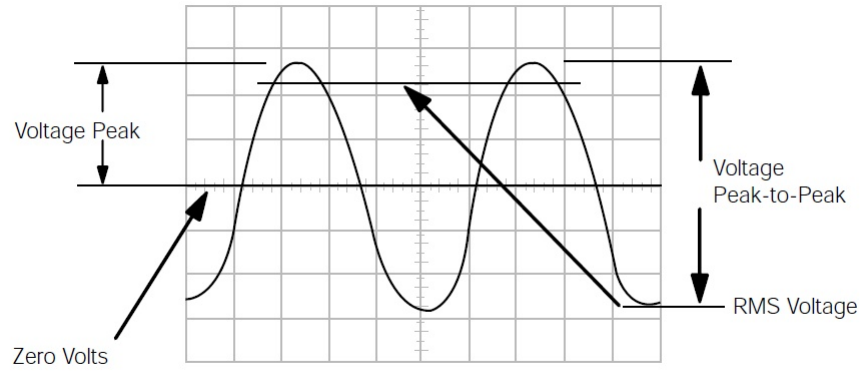


Untriggered Display

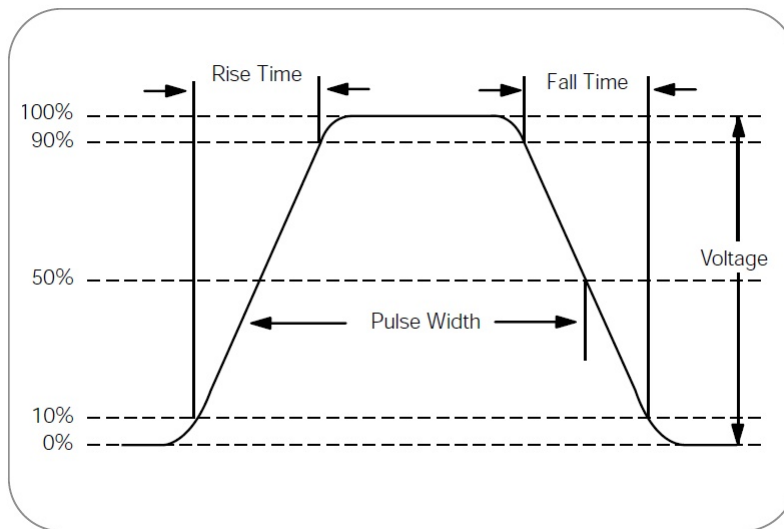


Triggered Display

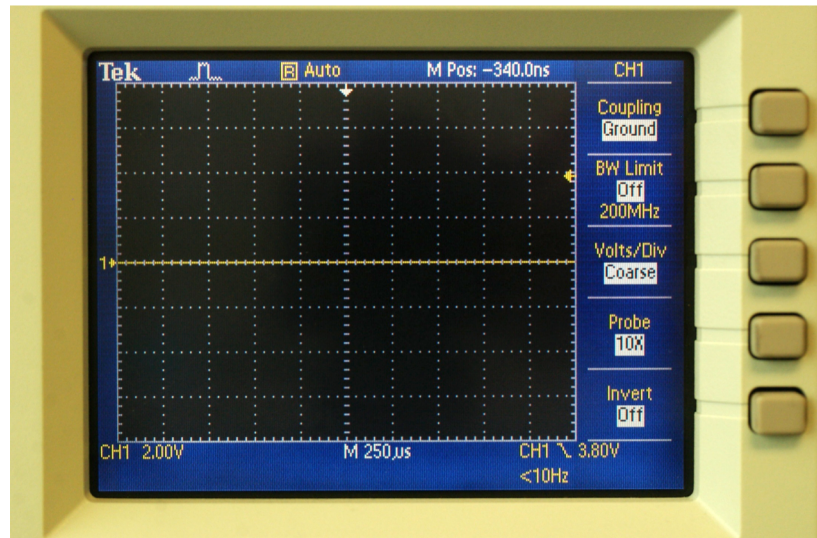
### AC Voltage Measurements



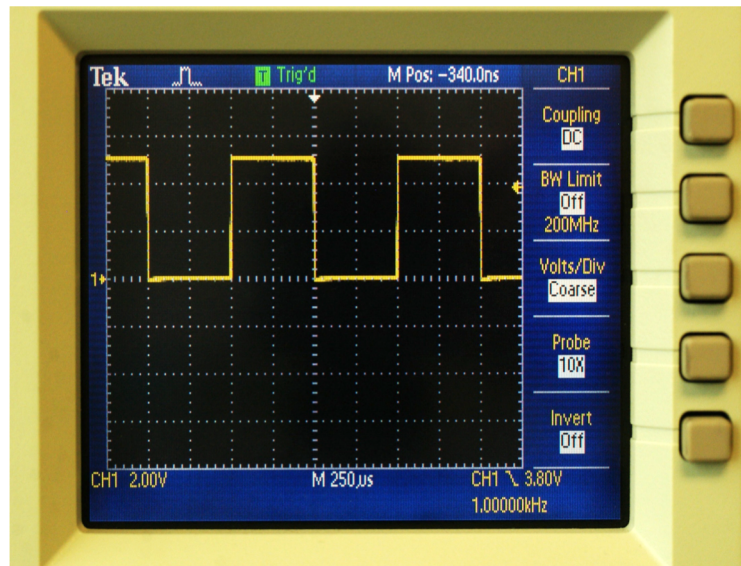
### Measuring Rise and Fall Times



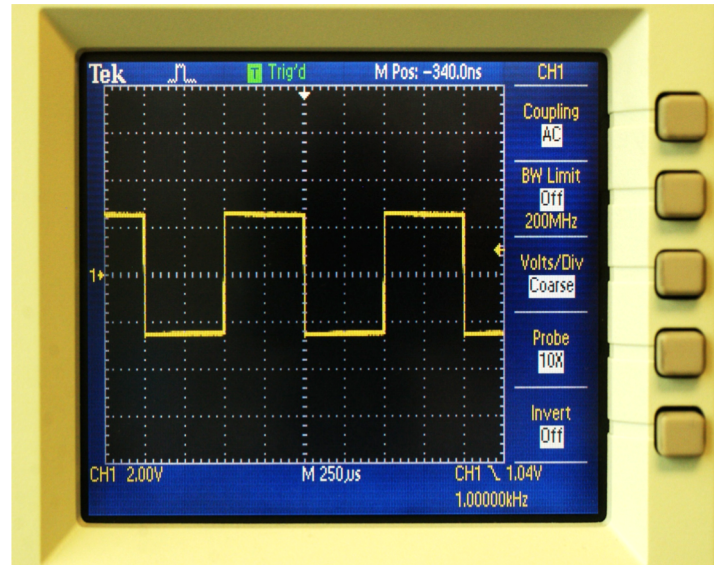
## Ground Display



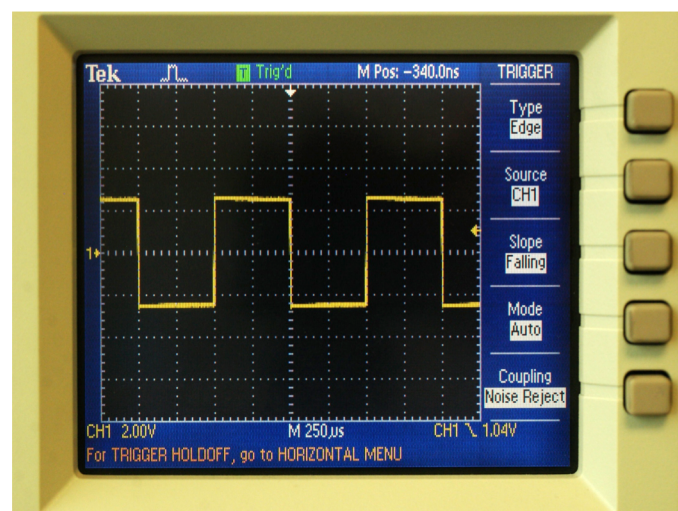
## DC Coupling



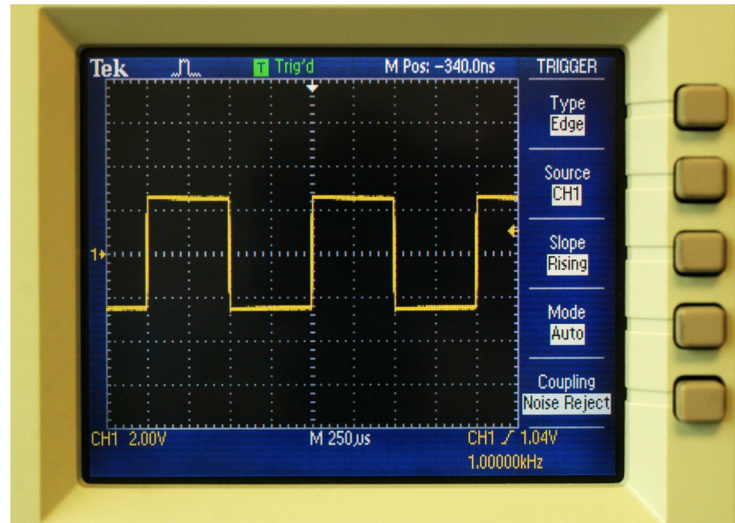
## AC Coupling



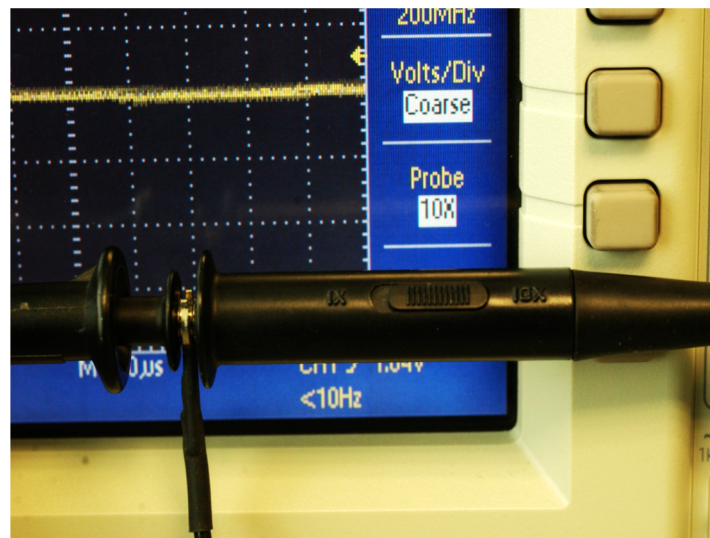
## Falling Edge Triggering



## Rising Edge Triggering



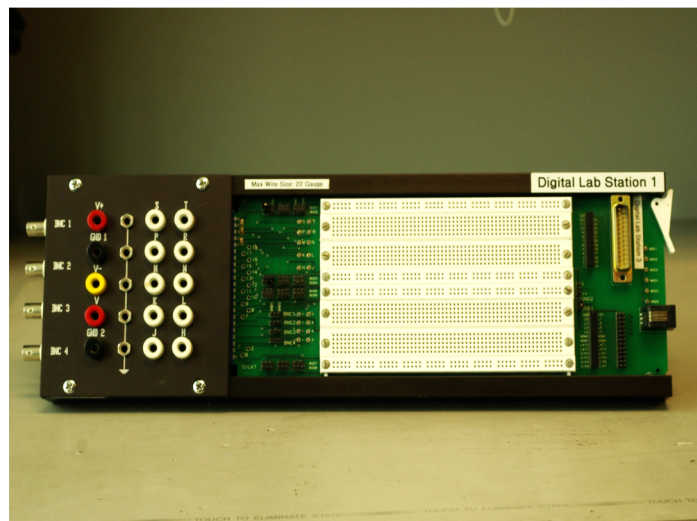
## Probe Calibration



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## Lab Breadboards



# Lab Breadboards

